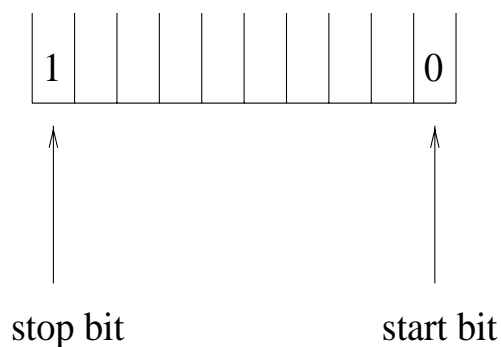


## Framing

*Asynchronous*: e.g., ASCII character transmission between dumb terminal and host computer.

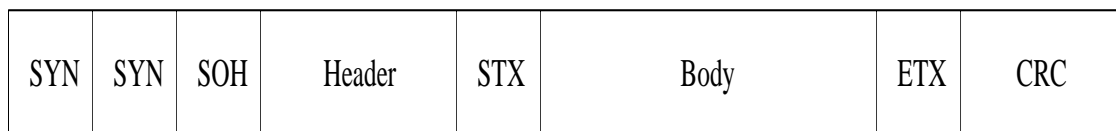


- each character is an independent unit  
→ “asynchronous”
- receiver needs to know bit duration  
→ bit rate assumed known between sender/receiver  
→ in that sense, “synchronous”

Overhead problem; assuming 1 start bit, 1 stop bit, 8 data bits, only 80% efficiency.

→ inefficient for long messages

*Synchronous*: “Byte-oriented”; e.g., PPP, BISYNC



→ SYN, SOH, STX, ETX, DLE: sentinels

Two problems:

- How to maintain synchronization if  $|\text{Body}|$  is large?
- Control characters within body of message.

→ inefficient for short messages

→ efficiency approaches 1 as  $|\text{Body}| \rightarrow \infty$

“Bit-oriented”; e.g., HDLC

→ bit is the unit

Use fixed *preamble* and *postamble*; simply a bit pattern.

→ 01111110

How to avoid confusing 01111110 in the data part?

→ bit stuffing

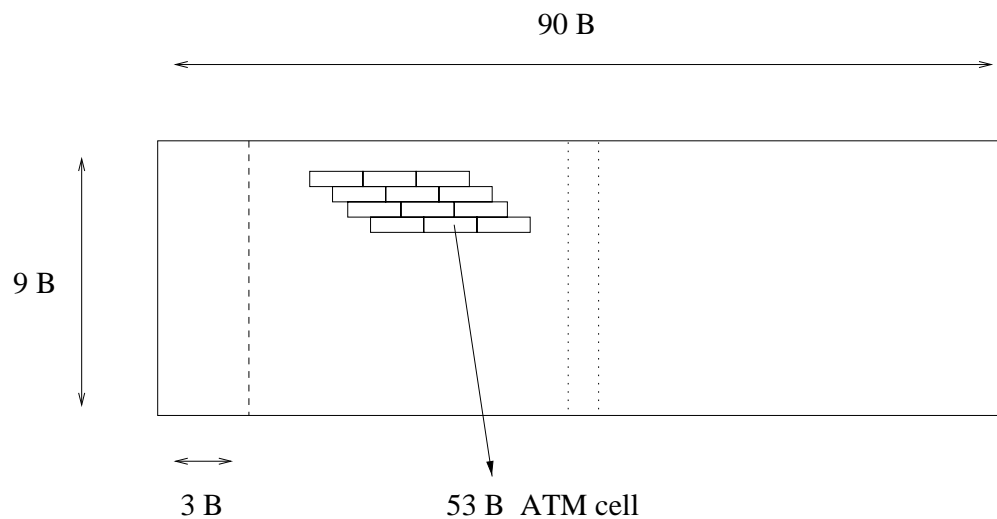
## SONET (Synchronous Optical Network)

→ framing standard for optical fiber

Rates: OC-1 (51.84 Mbps), OC-3 (155.25 Mbps), OC-3c,  
OC-12 (622.08 Mbps), OC-24 (1.24416 Gbps), OC-48,  
etc.

→ formally: STS- $n$

OC-1 frame:

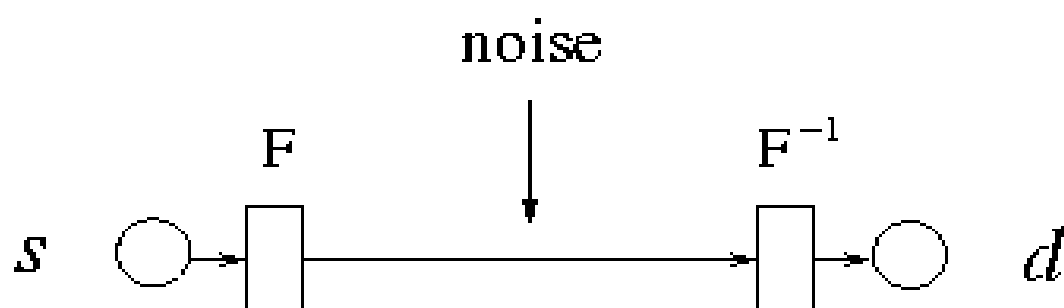


Features:

- 125  $\mu$ sec frame duration (for all OC- $n$ )
- 51.84 Mbps =  $810 \cdot 8 \cdot 8000$
- 3 + 1 columns of overhead
- overhead includes synchronization, pointer fields
- overhead encoded using NRZ
- payload scrambled (XOR'ed) to achieve approximate self-clocking

Error-detection and correction

→ reliable transmission over noisy channel



Key problem:

- sender wishes to send  $a$ ; transmits code word  $w_a$
- receiver receives  $w$
- due to noise,  $w$  may, or may not, be equal to  $w_a$

→  $a \mapsto w_a \mapsto w \mapsto [?]$

Error detection:

- determine if  $w$  is a valid code word
- e.g., parity bit in ASCII transmission
  - odd or even parity
  - limitation?

Error correction:

- even if  $w \neq w_a$ , recover symbol  $a$  from scrambled  $w$ 
  - correction is tougher than detection
- how to correct single errors for ASCII transmission?
  - assume one can use 21 bits
  - what about 14 bits?



Conceptual approach:

Error detection:

- consider legal code word set  $S = \{w_a : a \in \Sigma\}$ 
  - take binary alphabet  $\Sigma = \{0, 1\}$
- can detect  $k$ -bit errors if
  - corrupted  $w$  does not belong to  $S$
  - must hold for all  $k$ -bit error patterns

Key question: what kind of  $S$  can satisfy these properties

- ASCII with 1-bit flip
- ASCII with 2-bit flips
- brute force approach ...

Error correction:

- assume  $w_a$  has turned into  $w$  under  $k$ -bit errors
- for all  $b \in \Sigma$ , calculate  $d(w_b, w)$ 
  - Hamming distance; e.g.,  $d(1011, 1101) = 2$
- pick  $c \in \Sigma$  with smallest  $d(w_c, w)$  as answer

Ex.:  $0 \mapsto 000$  and  $1 \mapsto 111$

→ want to send 0, hence send 000

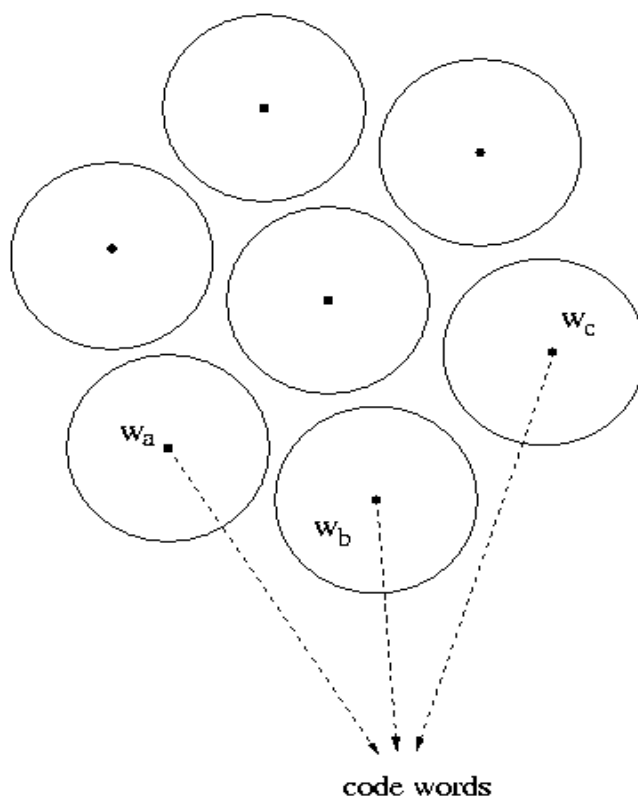
→ 010 arrives:  $d(010, 000) = 1$  &  $d(010, 111) = 2$

→ conclude 000 was sent which means 0

Pictorially: consider “ball” of distance  $r$  centered at  $w_a$

$$\longrightarrow B_r(w_a) = \{w : d(w_a, w) \leq r\}$$

Consider code word set  $S$  with “well-separated” layout:



Assuming  $k$  bit flips, sufficient conditions for error detection and error correction in terms of  $d(w_a, w_b)$ ?

Network protocol context: different approach to detection vs. correction

- error detection: use checksum and CRC codes
- error correction: use retransmission
- humans?
- can also use FEC; for real-time data

*Internet Checksum*: Group message into 16-bit words; calculate their sum in one's complement; append “checksum” to message.

- problem?